

# The X<sub>Y</sub>TeX System for Publishing Interdisciplinary Chemistry/Mathematics Books

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# My Interests and Targets

- **Main Targets** — Interdisciplinary Approach

<http://xymtex.com/fujitas/fujitae.html>

- ① Synthetic Organic Chemistry — Development of Organic Compounds for Photography
- ② Chemoinformatics — Database for Organic Reactions Based on the Concept of Imaginary Transition Structures
- ③ Mathematical Stereochemistry — The USCI Approach, the Proligand Method, and the Stereoisogram Approach

- **Subsidiary Targets** — Development of Writing Tools

- ①  $\text{\LaTeX}$  — Development of Packages for Drawing Chemical Structural formulas

<http://xymtex.com/fujitas3/xymtex/index.html>

- ②  $\text{\LaTeX}$  Packages for Japanese Typesetting

<http://xymtex.com/fujitas/rd/texlatex.html>

- ③ Essay for Time-Space Trips in Kyoto by Following Old Jintan's Street Markers 「仁丹の町名看板をよすがに京めぐり」

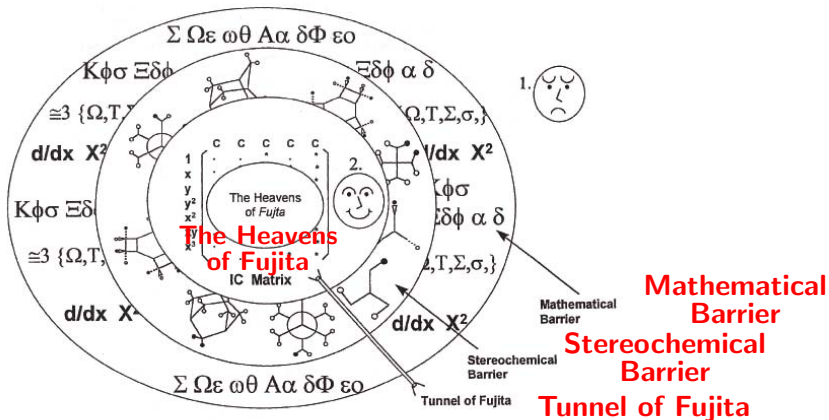
<http://xymtex.com/kyomeguri/index.html>

# Activities Aiming at Main Targets

## Recent Account Reports on Main Targets:

- Shinsaku Fujita,  
“Numbers of Alkanes and Monosubstituted Alkanes. A Long-Standing Interdisciplinary Problem Over 130 Years”  
*Bull. Chem. Soc. Jpn*, **83**, 1–18 (2010).  
[http://www.jstage.jst.go.jp/article/bcsj/83/1/83\\_20090008/\\_pdf](http://www.jstage.jst.go.jp/article/bcsj/83/1/83_20090008/_pdf)
- Shinsaku Fujita,  
“Extended Pseudoasymmetry and Geometric Prochirality Clarifying the Scope of the Concepts of Holantimers and Stereoisograms”,  
*Tetrahedron: Asymmetry*, **23**, 623–634 (2012).

# Caricature "The Heavens of Fujita"



1. An organic chemist trying to make his way through I
2. He made it.

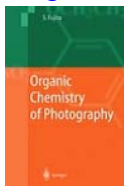
FIG35 Pictorial illustration of a paradox: An organic chemist (who is not interested in mathematics) is trying to make his way through the "heavens of Fujita". Such heavens can only be reached by mathematical! C.f. comments a-c in Section 3.1

Figure 35 of Sherif El-Basil,  
 "Combinatorial Organic Chemistry: An Educational Approach",  
 Nova Science (2000).

# Monographs on Main Targets

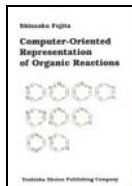
— Invitation to “the Heavens of Fujita”

Synthetic Organic Chemistry



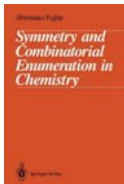
2004

Chemoinformatics



2001

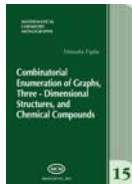
Mathematical Stereochemistry



1991



2007



2013

## Activities Aiming at Subsidiary Targets

- My Private Laboratory:  
Shonan Institute of Chemoinformatics and Mathematical Chemistry  
<http://xymtex.com/>
- Recent Report on  $\text{\X}\text{\Y}\text{\M}\text{\T}\text{\E}\text{\X}$ :  
Shinsaku Fujita,  
“Articles, Books, and Internet Documents with Structural Formulas  
Drawn by  $\text{\X}\text{\Y}\text{\M}\text{\T}\text{\E}\text{\X}$  — Writing, Submission, Publication, and Internet  
Communication in Chemistry”,  
*Asian J. TeX*, **3**, 89–108 (2009).  
<http://ajt.ktug.kr/2009/0302fujita.pdf>

# Books on T<sub>E</sub>X/L<sup>A</sup>T<sub>E</sub>X in Japanese



1993



1995



1996



1996



1997



1998



2000



2000



2003



2009



2009



2010



2010

$\text{T}_{\text{E}}\text{X}/\text{L}\text{A}\text{T}_{\text{E}}\text{X}$  with  $\text{X}\hat{\text{M}}\text{T}_{\text{E}}\text{X}$  has supported the main targets.  
How?



# Short personal history of $\text{\XiMiT}_{\text{E}}\text{X}$ with $\text{\LaTeX}$

- 1989 Start of writing articles with Japanese  $\text{MicroT}_{\text{E}}\text{X}$  (Ascii Co.) on PC-9800 (NEC).
- 1991  $\text{\LaTeX}$ -typesetting and publication of "Symmetry and Combinatorial Enumeration in Chemistry" from Springer-Verlag (Heidelberg-Berlin).
- 1993  $\text{\LaTeX}$ -typesetting and publication of " $\text{\LaTeX}$  for Chemists and Biochemists" (in Japanese) from Tokyo Kagaku Dojin (Tokyo).
- 1993\* First release of  $\text{\XiMiT}_{\text{E}}\text{X}$  (Version 1.00) for typesetting chemical structural formulas.
- 1997\*  $\text{\XiMiT}_{\text{E}}\text{X}/\text{\LaTeX}$ -typesetting and publication of " $\text{\XiMiT}_{\text{E}}\text{X}$ —Typesetting Chemical Structural Formulas" from Addison-Wesley Japan (Tokyo).
- 1999\* Release of  $\text{\XiMiT}_{\text{E}}\text{X}$  Version 2.00 for supporting the  $\text{\XiM}$  notation as a linear notation of structural formulas.
- 2001  $\text{\LaTeX}$ -typesetting and publication of "Computer-Oriented Representation of Organic Reactions" from Yoshioka-Shoten (Kyoto).
- 2002\* Release of  $\text{\XiMiT}_{\text{E}}\text{X}$  Version 4.00 for supporting  $\text{POSTSCRIPT}$  language.
- 2004  $\text{\XiMiT}_{\text{E}}\text{X}/\text{\LaTeX}$ -typesetting and publication of "Organic Chemistry of Photography" from Springer-Verlag (Heidelberg-Berlin).
- 2007  $\text{\XiMiT}_{\text{E}}\text{X}/\text{\LaTeX}$ -typesetting and publication of "Diagrammatical Approach to Molecular Symmetry and Enumeration of Stereoisomers" from University of Kragujevac (Kragujevac).
- 2009\* Release of  $\text{\XiMiT}_{\text{E}}\text{X}$  Version 4.04 for supporting complicated formulas such as steroids.
- 2010\* Release of  $\text{\XiMiT}_{\text{E}}\text{X}$  Version 5.00 for supporting the PDF mode
- 2013\* Release of  $\text{\XiMiT}_{\text{E}}\text{X}$  Version 5.01 for supporting a comprehensive on-line manual
- 2013  $\text{\XiMiT}_{\text{E}}\text{X}/\text{\LaTeX}$ -typesetting and publication of "Combinatorial Enumeration of Graphs, Three-Dimensional Structures, and Chemical Compounds" from University of Kragujevac (Kragujevac).

Before T<sub>E</sub>X/L<sup>A</sup>T<sub>E</sub>X

# Manual Typewriter for Writing a Camera-Ready Manuscript



# Book Written with Manual Typewriter

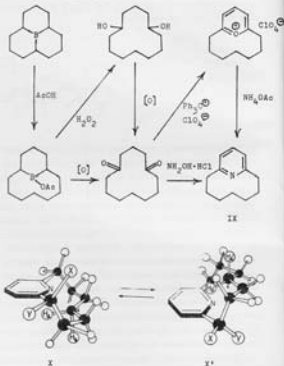


(Thesis)

Shinsaku Fujita,

“Contributions to the Chemistry of Nitrogen-Containing Reactive Species and Strained Rings—Nitrene, Aziridines and Heterophanes”, (1972) 137pp.

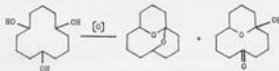
Scheme V



-8-

temperature and the conformational changes such as  $10^6$  have been concluded by dynamic NMR spectroscopy.

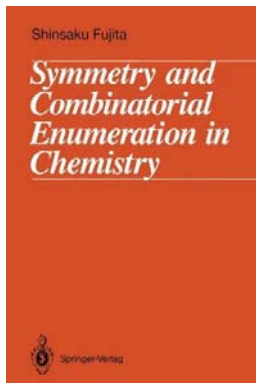
Inspection of the molecular model (X) of [7](2,6)-pyridinophane showed that  $C_{10}$  is very close to the nitrogen atom of pyridine ring and hence any functional groups introduced on  $C_{10}$  should interact with the nitrogen atom. Attempts for the synthesis of 4-acetoxy[7](2,6)pyridinophane proved futile. However, this investigation gave a novel information on transannular interaction in the oxidation of cyclododecane-1,5,9-triol, which is discussed in Chapter 7.



Chapter 8 deals with [9]heterophanes prepared from 2-cyclododecenone. Scheme VI summarizes the preparation of [9](3,5)pyranolophane (XI) and 11-methyl [9](2,4)furanolophane (XII). Their spectral properties are discussed in the same line as in Chapter 6. The method illustrated in Scheme VI is applicable to other 2-cycloalkenones and, in fact, [6]heterophanes have been prepared from 2-cyclononone.<sup>17</sup>

-9-

# TEX/L<sup>A</sup>TEX (without X<sup>Y</sup>LMTEX)



Shinsaku Fujita,  
“Symmetry and Combinatorial Enumeration  
in Chemistry”, Springer-Verlag (1991) 368pp.

(Book Reviews)

C. A. Mead, *J. Am. Chem. Soc.*, **1992**, *114*,  
4018–4019.

S. J. Cyvin, *Structural Chemistry*, **1994**, *5*, 145.

C. A. Mead, D. J. Klein, *Theor Chim Acta* **1992**,  
*82*, 339-340.

Text:

Typeset by L<sup>A</sup>T<sub>E</sub>X2.09.

Structural Formulas:

Manual drawing with rotoring pens. Paste up.

Delivery form:

A camera-ready manuscript.

Table 6.3. SCR Notations of  $D_{2h}$  molecules

| molecule | SCR notation   |
|----------|--|
| 10       | $D_{2h}/C_2(\lambda_1); /C_2(\lambda_2); /D_{2h}(P)$ |
| 11       | $D_{2h}/C_2(H_1); /C_2(C_1)$                         |
| 12       | $D_{2h}/C_2(C_1, H_1)$                               |
| 13       | $D_{2h}/C_2(2C_1, 2H_1); /C_2(C_1, H_1)$             |
| 14       | $D_{2h}/C_2(H_{12}); /C_2(2C_1)$                     |
| 15       | $D_{2h}/C_2(F_2); /D_{2h}(B)$                        |



$$\begin{pmatrix}
 1/24 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\
 -1/8 & 1/4 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\
 -1/4 & 0 & 1/2 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\
 -1/8 & 0 & 0 & 1/2 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\
 0 & -1/4 & 0 & 0 & 1/2 & 0 & 0 & 0 & 0 & 0 & 0 \\
 1/12 & -1/4 & 0 & 0 & 0 & 1/6 & 0 & 0 & 0 & 0 & 0 \\
 1/4 & -1/4 & -1/2 & 0 & 0 & 0 & 1/2 & 0 & 0 & 0 & 0 \\
 1/2 & 0 & -1 & -1/2 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \\
 0 & 1/2 & 0 & 0 & -1/2 & -1/2 & -1/2 & 0 & 1 & 0 & 0 \\
 1/6 & 0 & 0 & -1/2 & 0 & -1/6 & 0 & 0 & 0 & 1/2 & 0 \\
 -1/2 & 0 & 1 & 1/2 & 0 & 1/2 & 0 & -1 & -1 & -1/2 & 1
 \end{pmatrix}$$

$$= (0 \ 0 \ 0 \ 0 \ 0 \ 0 \ 1 \ 0 \ 0 \ 1).$$

wherein the second  $11 \times 11$  matrix is the inverse matrix. The resulting vector indicates

$$P_{\mathbf{T}_1} = \mathbf{T}_d/C_2 + \mathbf{T}_d/\mathbf{T}_d, \quad (6.5)$$

because a set of CRs in SCR =  $\{ \mathbf{T}_d/C_1, \mathbf{T}_d/C_2, \mathbf{T}_d/C_3, \mathbf{T}_d/C_4, \mathbf{T}_d/C_5, \mathbf{T}_d/S_6, \mathbf{T}_d/D_2, \mathbf{T}_d/C_2, \mathbf{T}_d/C_3, \mathbf{T}_d/D_{2h}, \mathbf{T}_d/\mathbf{T}_1, \mathbf{T}_d/\mathbf{T}_2 \}$  in this case. We can easily assign these CRs to the sets of equivalent atoms, i.e.,  $\mathbf{T}_d/C_2$  to the  $\Delta_1$  orbit ( $H_1$ ) and  $\mathbf{T}_d/\mathbf{T}_2$  to the  $\Delta_2$  orbit (C). This result is summarized by the SCR notation,  $\mathbf{T}_d/C_2(H_1); / \mathbf{T}_d(C)$ .

Table 6.4 collects SCR notations for several  $T_d$  molecules. The compound (17) is named tetrahedrane after its geometrical form. The compound (18) is called adamantane because of its diamond structure (Greek: adamant). The geometrical relationship between 17 and 18 will be discussed in Chapter 17. The compound (19) is derived by substituting nitrogen atoms for four methines of cubane. The substitution reduces the original  $O_h$  symmetry of cubane into  $T_d$ .

The original version<sup>28</sup> of the SCR notation consists of type I and II notations. The type II notation is based on the subduction of coset representations, characterizing the symmetry of a molecule as well as that of a parent skeleton. The type I notation is an abbreviation of the type II notation, where information about the skeleton is omitted. The present version essentially succeeds to the type I notation, whereas the distinction between molecules and skeletons are not taken into consideration.

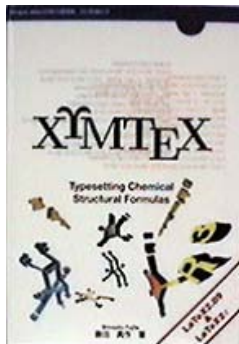
In Chapter 7, we will show that any point of a  $G_i/G_o$  orbit belongs to the local symmetry  $G_o$ . The  $G_i/G_o$  determines the permutational properties as well as the local symmetry of the orbit. The symbol  $(G_i/G_o)$  is convenient to indicate such inherent nature of the orbit.



# Development of $\hat{\text{X}}\hat{\text{M}}\text{T}_{\text{E}}\text{X}$

# Short personal history of $\text{\XiMTE}X$ with $\text{\LaTeX}$

- 1989 Start of writing articles with Japanese  $\text{MicroT}E\text{X}$  (Ascii Co.) on PC-9800 (NEC).
- 1991  $\text{\LaTeX}$ -typesetting and publication of “Symmetry and Combinatorial Enumeration in Chemistry” from Springer-Verlag (Heidelberg-Berlin).
- 1993  $\text{\LaTeX}$ -typesetting and publication of “ $\text{\LaTeX}$  for Chemists and Biochemists” (in Japanese) from Tokyo Kagaku Dojin (Tokyo).
- 1993\* First release of  $\text{\XiMTE}X$  (Version 1.00) for typesetting chemical structural formulas.
- 1997\*  $\text{\XiMTE}X/\text{\LaTeX}$ -typesetting and publication of “ $\text{\XiMTE}X$ —Typesetting Chemical Structural Formulas” from Addison-Wesley Japan (Tokyo).
- 1999\* Release of  $\text{\XiMTE}X$  Version 2.00 for supporting the  $\text{\XiM}$  notation as a linear notation of structural formulas.
- 2001  $\text{\LaTeX}$ -typesetting and publication of “Computer-Oriented Representation of Organic Reactions” from Yoshioka-Shoten (Kyoto).



Shinsaku Fujita,  
“X<sub>Y</sub>MT<sub>E</sub>X—Typesetting Chemical Structural  
Formulas”,  
Addison-Wesley Japan (1997) 352pp.

Text:

Typeset by L<sup>A</sup>T<sub>E</sub>X 2<sub>ε</sub>.

Structural Formulas:

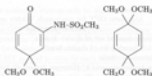
Drawn by X<sub>Y</sub>MT<sub>E</sub>X.

Delivery form:

dvi file (converted by pT<sub>E</sub>XsT).

CD-ROM submission.

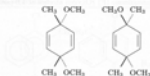
## 3 Six-Membered Carbocycles



Stereoisomers can be depicted distinctly by using bond modifiers for `\bondrv`. Thus, the code

```
\bondrv[pa](180<=CH, C)4;154<=OCH, C)4;400<=CH, C)4;454<=OCH, C)4
\bondrv[pa](180<=CH, C)40;154<=CH, C)4;400<=CH, C)4;454<=OCH, C)4
```

typesets the following structures:

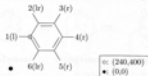


### 3-1-2 Horizontal Forms of Benzene Derivatives

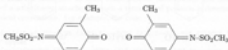
You can use the macro `\bondrv` to draw benzene derivatives of horizontal type (*caron.sty*). The format of this command is as follows:

```
\bondrv(DPT)(BONDLIST)
```

The formats of the arguments are the same as those of `\bondrv` (Tables 2-2 and 3-1). The locant numbering and the handedness of substitution are designed as follows:



For example, the diagrams:



are typeset by inputting the statements:

```
\bondrv[pa](40<=O,15<=CH, C)452, C)4<=O, C)4;3<=CH, C)4; \bondrv
\bondrv[pa](150<=O,40<=O, C)452, C)4;2<=CH, C)4; \bondrv
```

It should be noted that the commands `\bondrv` and `\bondrv` are based respectively on the commands `\cyclohexane` and `\cyclohexaneh` that will be described in the next section. Hence, structures drawn with the former set of commands can be also drawn with the latter set of commands (see Figures 3-1 and 3-2).

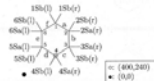
## 3-2 Drawing Cyclohexane Derivatives

### 3-2-1 Vertical Forms of Cyclohexane Derivatives

The macro `\cyclohexanev` (*caron.sty*) is used to draw cyclohexane derivatives of vertical type. The format of this command is as follows:

```
\cyclohexanev(DOUBLELIST)(SUBLIST)
```

Locant numbers (1-6) for designating substitution positions and characters (a-f) for showing bonds to be doublet are represented by the following diagram:



Each character set in parentheses represents the handedness of the corresponding position, which is fixed in this type of macros.

The option argument `BONDLIST` is a character string in a pair of brackets, where each character indicates the presence of a double bond at the edge corresponding to the character. The bond-correspondence is rather arbitrary in some cases but conforms to chemical conventions as faithfully as possible if such conventions are present (Table 3-2). Several examples for drawing endocyclic double bonds are listed in Figure 3-2. Note that Figure 3-2 provides alternative ways for designating endocyclic double bonds. Compare this with the results collected in Figure 3-1.

The argument `SUBLIST` for this macro takes a general format, in which the modifiers listed in Table 2-2 are used. Suppose you input the commands:

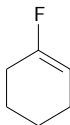
```
\cyclohexanev(C<=O,15<=CH, C)4C;154<=CH, C)4;3
30<=CH, C)4;154<=CH, C)4; \cyclohexanev
\cyclohexanev(D(1<=O,15<=CH, C)4;154<=CH, C)4)
```

The first example illustrates a case that `\cyclohexanev` accompanies no optional argument. On the other hand, the second one takes `[h]` as an optional `BONDLIST`, which prints an inner bond between 2 and 3 positions. Thus, you can obtain the following diagrams:

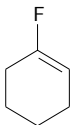
# X<sub>3</sub>MNotation as a New Linear Notation

S. Fujita, N. Tanaka, *J. Chem. Inf. Comput. Sci.*, **39**, 903–914 (1999).

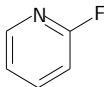
- 1 mother skeleton
- 2 skeletal bond list (option)
- 3 bond list (option)
- 4 atom list (option)
- 5 substitution list
- 6 omit list (option)



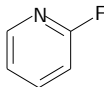
`\sixheterov`  
`[a]{1==F}`



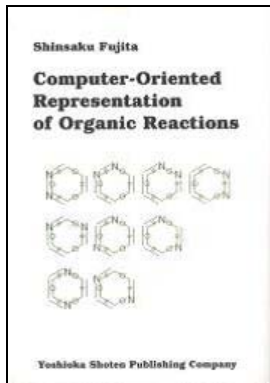
`\cyclohexanev`  
`[a]{1==F}`



`\sixheterov`  
`[ace]{1==N}{2==F}`



`\pyridinev`  
`[ace]{2==F}`



Shinsaku Fujita,  
“Computer-Oriented Representation of Organic Reactions”,  
Yoshioka-Shoten (2001) 371pp.

Text: Typeset by L<sup>A</sup>T<sub>E</sub>X 2<sub>ε</sub>.  
Structural Formulas: Manual drawing with rotring pens. Paste up.  
Delivery form: A camera-ready manuscript.

396 Chapter 14 Enumeration of Reaction Graphs

Figure 14-2 ITS, RC-G, RG, and BRG.

bonds on their edges and the in- and out-bonds may be modified by  $m$  double par-bonds (==) and  $n$  single par-bonds (—).<sup>10</sup> Two reaction graphs are defined as being *isomeric* if they have the same  $m$  and  $n$ . Hence, the enumeration of hexagonal reaction graphs is formulated as counting such isomers, where the *basic reaction graph* (BRG) denoted as 11 is substituted by  $m$  double par-bonds and  $n$  single par-bonds on the edges. This problem of counting isomers can be solved by straightforward use<sup>10</sup> of Pólya's theorem<sup>10</sup> or of the USC1 method developed by Fujita.<sup>10</sup>

Suppose that the six edges of BRG 11 are designated with alphabets  $a$  to  $f$ . BRG 11 is represented on itself by the six operations of a permutation group ( $D_3$ ), which are shown in terms of products of cycles in Table 14-1.<sup>10</sup> The cycle index  $Z(D_3; x_1)$  is represented by

$$Z(D_3; x_1) = (1/6)(x_1^6 + 2x_1^3 + 3x_1^2), \quad (14-1)$$

where the terms in the right-hand side are obtained from the rightmost column of Table 14-1 according to Pólya's theorem<sup>10</sup> or to the USC1 method developed by Fujita.<sup>10</sup> Then, each variable  $x_i$  in the cycle index is substi-

397 14-3 Even-Membered Cyclic Reaction Graphs

Table 14-1 Permutation group based on a parent BRG 11

Parent RG:

| symmetry operation | permutation          | variable <sup>a</sup> assigned |
|--------------------|----------------------|--------------------------------|
| $I$                | $(a)(b)(c)(d)(e)(f)$ | $x_1^6$                        |
| $C_{120}$          | $(a)(d)(b)(c)(e)(f)$ | $x_1^2 x_2^2$                  |
| $C_{130}$          | $(a)(c)(b)(d)(e)(f)$ | $x_1^2 x_2^2$                  |
| $C_{20}$           | $(ac)(b)(e)(d)(f)$   | $x_1^3 x_2^2$                  |
| $C_2$              | $(ac)(b)(d)(e)(f)$   | $x_1^3 x_2^2$                  |
| $C_2'$             | $(ac)(b)(d)(e)(f)$   | $x_1^3 x_2^2$                  |

<sup>a</sup> A variable is assigned to each permutation in accord with the cycle structure.<sup>10</sup> For brevity's sake, this example has two entries, to which the same variable  $x_2$  is assigned.

tuted by a figure-counting series (figure inventory):

$$x_i = 1 + x^i + y^i. \quad (14-2)$$

After expansion, we have a polynomial series  $G(x, y)$  as a generating function for counting reaction graphs, wherein the coefficient of  $x^m y^n$  is the number of reaction graphs having  $m$  double par-bonds and  $n$  single par-bonds:

$$G(x, y) = Z(D_3; 1 + x^i + y^i) = (1/6)[(1 + x + y)^6 + 3(1 + x + y)^2(1 + x^2 + y^2)^2 + 2(1 + x^2 + y^2)^3] = 1 + 2x + 2y + 4x^2 + 6xy + 4y^2 + 6x^3 + 12x^2y + 12xy^2 + 6y^3 + 4x^4 + 12x^3y + 12xy^3 + 12y^4 + 2x^5 + 6x^4y + 12x^2y^2 + 12xy^3 + 6x^2y^2 + 2y^5 + 2x^6y + 4x^5y^2 + 6x^3y^3 + 4x^4y^3 + 2xy^4 + y^6. \quad (14-3)$$

A transformation to the *reverse reaction* (TRR) is defined as an operation in which all in-bonds and out-bonds of a reaction graphs are exchanged

# X<sub>Y</sub>TEX of Printing Quality Combined with T<sub>E</sub>X/L<sup>A</sup>T<sub>E</sub>X

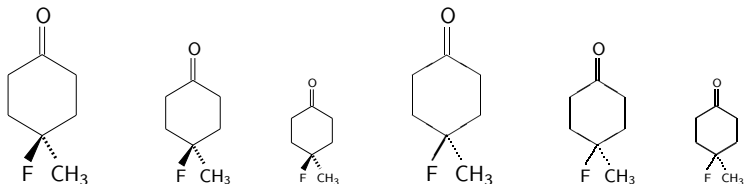


# Short personal history of X<sub>Y</sub>TEX with L<sup>A</sup>T<sub>E</sub>X

- 2002\* Release of X<sub>Y</sub>TEX Version 4.00 for supporting POSTSCRIPT language.
- 2004 X<sub>Y</sub>TEX/L<sup>A</sup>T<sub>E</sub>X-typesetting and publication of "Organic Chemistry of Photography" from Springer-Verlag (Heidelberg-Berlin).
- 2007 X<sub>Y</sub>TEX/L<sup>A</sup>T<sub>E</sub>X-typesetting and publication of "Diagrammatical Approach to Molecular Symmetry and Enumeration of Stereoisomers" from University of Kragujevac (Kragujevac).

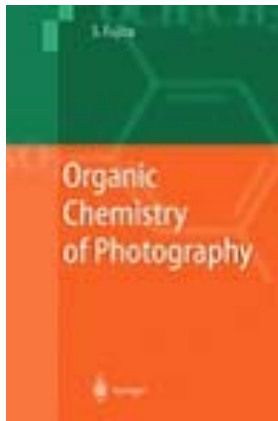
# X<sub>Y</sub>TEX-PostScript (X<sub>Y</sub>TEX Version 4.00) of Printing Quality

X<sub>Y</sub>TEX Vesion 3.00 + PSTricks  $\implies$  X<sub>Y</sub>TEX Version 4.00



```
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\usepackage{xymtexp}
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{\reducedsizepicture \COMPDA \CHUN{0.08pt} \COMPDA
\CHUN{0.06pt} \COMPDA }
\end{document}
```

# Book with Structural Formulas Drawn by X<sup>Y</sup>TEX



Shinsaku Fujita,  
“Organic Chemistry of Photography”,  
Springer-Verlag (2004) 587pp.

(Book Review)

M. W. Tausch, *Angew. Chem. Int. Ed.* **2005**,  
44, 2629.

*Readers will be especially impressed by the structural formulas in the text, created by software that the author has developed himself; as well as showing the molecular structure very clearly, they also give complete information about functional groups, substituents, counterions, etc.*

Text:

Typeset by L<sup>A</sup>T<sub>E</sub>X 2<sub>ε</sub>.

Structural Formulas:

Drawn by X<sup>Y</sup>TEX.

Delivery form:

PostScript file in CD-ROM. Sent via Air Mail

In particular, the presence of a 2-methoxyethoxy group has been found to enhance the dye-releasing efficiency. This enhancement has been presumed to stem from an intramolecular chelating effect, as shown in Fig. 19.15 [9,10]. The 1,2-attack of a hydroxide ion to the sulfonimido group of **44** gives an adduct (**45**), where the 2-methoxyethoxy group chelates the hydrogen atom of the hydroxy group in terms of hydrogen bonding. This chelation results in the formation of an eight-membered ring of the intermediate (**45**), as designated by Ⓒ. The releasing of the sulfonamide (**39**) requires a further intermediate (**46**), which contains a six-membered ring designated by Ⓓ. The six-membered ring is presumed to be more plausible than the eight-membered ring.

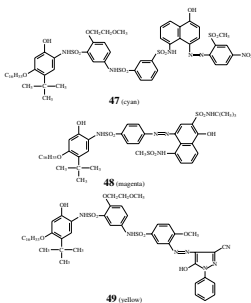


Figure 19.16. An improved set of cyan, magenta, and yellow *o*-sulfonamidophenol dye releasers for color reproduction in instant color photography [22].

The design of *o*-sulfonamidophenol moieties by using the model compounds described above has arrived at an improved set of dye releasers, as shown in Fig. 19.16 [22]. The specification of this patent contains experimental comparisons between dye releasers having a *t*-butyl group and the ones having a methyl group by using practical photographic films. Moreover, the effect of 2-alkoxyethoxy groups has been also incorporated in the dye releasers shown in Fig. 19.16 [23]. This type of *o*-sulfonamidophenol dye releasers has been used in the FI-10 film for the FOTORAMA system marketed by Fuji Photo Film in 1981 [1].

### Syntheses

As collected in Table 19.2, various benzoxazole intermediates (**34a**–**34g**) for preparing 2-amino-4-alkyl-5-alkoxyphenols have been easily obtained in high yields. In particular, **34c** serves as a starting material for preparing the dye releasers listed in Fig. 19.16 [16,22].

Another versatile method for preparing 2-amino-4-alkyl-5-alkoxyphenols is the Friedel-Crafts alkylation of 2-acetamido-5-alkoxyphenol, as shown in Fig. 19.17 [24]. Thus, the key step is the conversion of **51** into **52**, where isobutene is used as a carbon source and Amberlite 15 (a synthetic ion-exchange resin from Rohm & Haas Co.) is used as a catalyst.

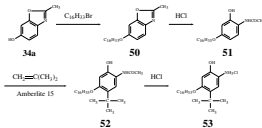
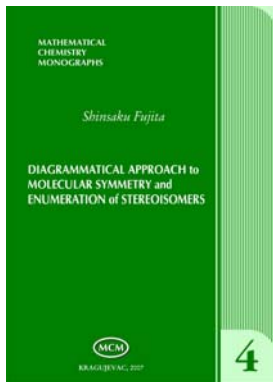


Figure 19.17. Synthesis of 2-amino-4-*t*-butyl-5-hexadecyloxyphenol by a Friedel-Crafts alkylation [24]. Homologs having other *t*-butyl groups have also been reported. This is a key for preparing *o*-sulfonamidophenol dye releasers.

Since the presence of a 2-alkoxyethoxy group has been found to enhance the dye-releasing efficiency in the model experiments described above [9,10] as well as in practical usage [22,23], 2-(2-alkoxyethoxy)benzenesulfonic acids having a nitrogen function have become important as key intermediates for preparing dye releasers of high efficiency. The introduction of such a 2-alkoxyethoxy group at the ortho position of a sulfonyl function is illustrated in Fig. 19.18 [25]. The first method described in one of the patents [23] has used sodium 2-methoxyethylate ( $\text{Na}^+ \text{ } ^-\text{OCH}_2\text{CH}_2\text{OCH}_3$ ) prepared by adding sodium hydride

# Interdisciplinary Chemistry/Mathematics Books by $\XIMTEX/LATEX$



Shinsaku Fujita,  
“Diagrammatical Approach to Molecular Symmetry and Enumeration of Stereoisomers”, University of Kragujevac (2007) 206pp.

(Book Review)

N. Trinajsti, *Croatica Chemica Acta* **2009**, *81*, A27–A28.

Text:

Typeset by  $LATEX 2_{\epsilon}$ .

Structural Formulas:

Drawn by  $\XIMTEX$ .

Delivery form:

PDF file (derived from a PostScript file).

On-line submission.



# Interdisciplinary Chemistry/Mathematics Books by $\hat{\text{X}}\hat{\text{M}}\hat{\text{T}}\hat{\text{E}}\hat{\text{X}}/\hat{\text{L}}\hat{\text{A}}\hat{\text{T}}\hat{\text{E}}\hat{\text{X}}$

**Table 7.4.** Subduction Table Based on LCRs for  $D_{2d}$  [2]

|                  | $\mathcal{A}_1^+$ | $\mathcal{A}_2^+$ | $\mathcal{E}^+$ | $\mathcal{E}^-$ | $\mathcal{B}_1^+$ | $\mathcal{B}_2^+$ | $\mathcal{B}_1^-$ | $\mathcal{B}_2^-$ |
|------------------|-------------------|-------------------|-----------------|-----------------|-------------------|-------------------|-------------------|-------------------|
| $B_{00}(C_1)$    | $4C_1(C_1)$       | $4C_2(C_2)$       | $4C_2(C_2)$     | $4C_2(C_2)$     | $2C_2(C_2)$       | $2C_2(C_2)$       | $2C_2(C_2)$       | $B_{00}(C_1)$     |
| $B_{00}(C_2)$    | $4C_1(C_1)$       | $4C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $2C_2(C_2)$       | $2C_2(C_2)$       | $2C_2(C_2)$       | $B_{00}(C_2)$     |
| $B_{00}(C_3)$    | $4C_1(C_1)$       | $2C_2(C_2)$       | $C_2(C_2)$      | $C_2(C_2)$      | $8C_1(C_1)$       | $C_2(C_2)$        | $C_2(C_2)$        | $B_{00}(C_3)$     |
| $B_{00}(C_4)$    | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_4)$     |
| $B_{00}(C_5)$    | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_5)$     |
| $B_{00}(C_6)$    | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_6)$     |
| $B_{00}(C_7)$    | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_7)$     |
| $B_{00}(C_8)$    | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_8)$     |
| $B_{00}(C_9)$    | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_9)$     |
| $B_{00}(C_{10})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{10})$  |
| $B_{00}(C_{11})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{11})$  |
| $B_{00}(C_{12})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{12})$  |
| $B_{00}(C_{13})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{13})$  |
| $B_{00}(C_{14})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{14})$  |
| $B_{00}(C_{15})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{15})$  |
| $B_{00}(C_{16})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{16})$  |
| $B_{00}(C_{17})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{17})$  |
| $B_{00}(C_{18})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{18})$  |
| $B_{00}(C_{19})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{19})$  |
| $B_{00}(C_{20})$ | $4C_1(C_1)$       | $2C_2(C_2)$       | $2C_2(C_2)$     | $2C_2(C_2)$     | $C_2(C_2)$        | $8C_1(C_1)$       | $8C_1(C_1)$       | $B_{00}(C_{20})$  |

<sup>a</sup>Undelined  $C_k$ . See Chapter 7 of Fujita's book [2].

$\mathcal{A}_1^+$ , the two permutation diagrams corresponding to  $C_1 = (1, \sigma_{d1})$  are selected so as to give Fig. 7.10 (for  $I$  and  $\sigma_{d1}$ ), which corresponds to Fig. 7.9. By careful comparison between the first box of the top row and the counterpart of the bottom row in Fig. 7.9, we could find that the eight vertices of  $I$  are divided into four orbits (i.e.,  $\{1, 2\}$ ,  $\{3, 8\}$ ,  $\{4, 7\}$ , and  $\{5, 6\}$ ).<sup>1</sup> In contrast, this division can be found more easily by Fig. 7.10, because one of such orbits (i.e.,  $\{1, 2\}$ ) is marked with solid circles.<sup>2</sup> Hence, the fixation of the first box of the top row during the action of  $C_1 = (1, \sigma_{d1})$  is more clearly demonstrated so as to give the first box of the bottom row in Fig. 7.10.

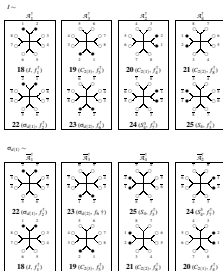
Thus, by comparing the two diagrams of Fig. 7.10, one can find easily that the  $\mathcal{A}_1^+$  and the  $\mathcal{A}_1^-$  are respectively immobile (fixed or stabilized), while the  $\mathcal{A}_2^+$  and the  $\mathcal{A}_2^-$  are interchanged into each other.<sup>3</sup> As a result, the symmetry restriction from  $D_{2d}$  to  $C_1$  divides the four-membered orbit of assemblies ( $\mathcal{A}^+$ ) into two one-membered orbits ( $\mathcal{A}_1^+$  and  $\mathcal{A}_2^+$ ) and a two-membered orbit ( $\mathcal{A}_2^-$ ,  $\mathcal{A}_1^-$ ).

Because the resulting one-membered orbit  $\mathcal{A}_1^+$  (or  $\mathcal{A}_1^-$ ) is fixed by  $C_1$ , the orbit is concluded to be governed by the LCR  $C_1/I/C_1$ . Because the two-membered orbit of assemblies ( $\mathcal{A}_2^+$ ,  $\mathcal{A}_2^-$ ) is fixed by  $C_1$  and the two assemblies  $\mathcal{A}_2^+$  and  $\mathcal{A}_2^-$  are permuted by the action of the  $\sigma_{d1}$ -operation, the orbit is concluded to be governed by the LCR  $C_2/I/C_2$ .<sup>4</sup> Therefore, the subduction represented by Fig. 7.10 is summarized into eq. 7.46. This procedure shows that Fig. 7.10 is capable of deriving results equivalent to those derived by Fig. 7.9. Thus, the same subduction table as Table 7.4 can be alternatively obtained. Then,

<sup>1</sup>Strictly speaking, this division of the eight vertices is controlled by the subduction of the RRR ( $C_1$ ) ( $D_{2d} \downarrow C_1$ , cf. eq. 6.58 in Chapter 6), where the undelined  $C_1$  is the local symmetry of the LCR  $B_{00}(C_1)$ , which governs the orbit of assemblies  $\mathcal{A}^+ = [\mathcal{A}_1^+, \mathcal{A}_2^+, \mathcal{A}_2^-, \mathcal{A}_1^-]$ . In general, the symmetrical behavior of a  $K$ -molecule derived from a regular body of  $G$  is described by the LCR  $B_{00}(G)$ , while the division of  $K$  vertices in the regular body of  $G$  is controlled by the subduction ( $C_k$ ) ( $G \downarrow C_k$ ). Note that the undelined  $K$ 's are selected to be common. This feature is the basis of the concept of mandalas, as described in the next chapter.

<sup>2</sup>Although the formulation using  $\mathcal{A}^+$  is more understandable than that formulation using  $\mathcal{A}^-$ , the latter is adopted as a primary formulation because its generality is superior to the former. For example, one can select  $\{3, 8\}$ ,  $\{1, 2\}$ ,  $\{5, 8\}$ , or  $\{1, 2\}$ ,  $\{4, 7\}$  as vertices to be marked with solid circles. The formulation using  $\mathcal{A}^-$  contains these alternatives as well as the special case shown in Fig. 7.10 (i.e., the selection of  $\{1, 2\}$ ).

<sup>3</sup>Do not confuse an orbit of vertices with an orbit of assemblies. The discussion described here is concerned with the subduction of the orbit of assemblies, i.e.,  $\mathcal{A}^+ = [\mathcal{A}_1^+, \mathcal{A}_2^+, \mathcal{A}_2^-, \mathcal{A}_1^-]$ , which is governed by the LCR  $B_{00}(C_1)$ .



**Figure 7.10.** The action of  $I$  and  $\sigma_{d1}$  on the  $C_1$ -molecule (the four  $C_1$ -assemblies) listed in Fig. 7.8. The alignment shown in this diagram corresponds to an ordered set,  $\mathcal{A}_1^+ = [\mathcal{A}_1^+, \mathcal{A}_2^+, \mathcal{A}_2^-, \mathcal{A}_1^-]$ .

the other tables for the LCRs (the USCF table, the USCI table and the mark table) are obtained similarly, where they are equivalent to those for the RCRs described in Chapter 6 (Tables 6.8, 6.9, and 6.10).

**Exercise 7.13.** Derive eqs. 7.42–7.49 and Table 7.4 diagrammatically by following the procedure given above for Fig. 7.10. Compare the derivation with the one described for obtaining eqs. 6.61–6.68 in Chapter 6.

## 7.4 Mandalas as Nested Regular Bodies

The discussions described in Section 7.2 have essentially followed Chapters 13 and 15 of Fujita's book [2], although a more diagrammatical approach has been adopted by following partly the treatment reported recently [4,5]. Because the discussions have required

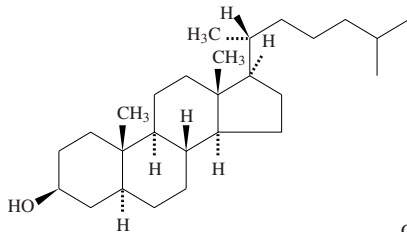
# X<sup>Y</sup>MT<sub>E</sub>X of Updated Quality Combined with T<sub>E</sub>X/L<sup>A</sup>T<sub>E</sub>X

# Short personal history of $\text{\X}\text{\M}\text{\T}\text{\E}\text{\X}$ with $\text{\L}\text{\A}\text{\T}\text{\E}\text{\X}$

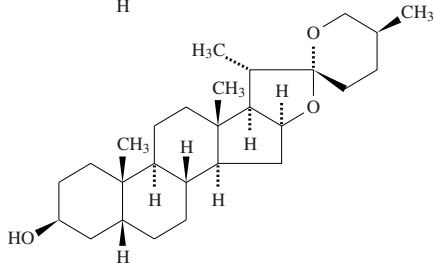
- 2009\* Release of  $\text{\X}\text{\M}\text{\T}\text{\E}\text{\X}$  Version 4.04 for supporting complicated formulas such as steroids.
- 2010\* Release of  $\text{\X}\text{\M}\text{\T}\text{\E}\text{\X}$  Version 5.00 for supporting the PDF mode
- 2013\* Release of  $\text{\X}\text{\M}\text{\T}\text{\E}\text{\X}$  Version 5.01 for supporting a comprehensive on-line manual
- 2013  $\text{\X}\text{\M}\text{\T}\text{\E}\text{\X}/\text{\L}\text{\A}\text{\T}\text{\E}\text{\X}$ -typesetting and publication of “Combinatorial Enumeration of Graphs, Three-Dimensional Structures, and Chemical Compounds” from University of Kragujevac (Kragujevac).



## — Commands for Complicated Structures

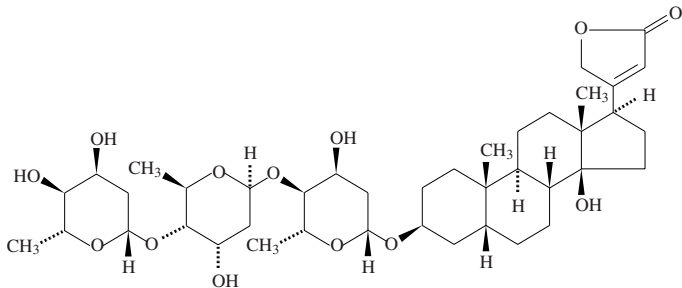


```
\=cholestaneAlpha{3B==HO}
```



```
\=spirostannor{3B==HO;5B==H;
{25}B==CH$_{3}$}
```

## — Commands for Complicated Structures



```

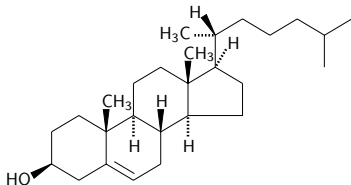
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3B==\lyl(3==0){3==\sixheterovi{1==0}{2==(yl);2GB==H;4B==OH;6A==CH$_{3}$};%
5B==\lyl(5==0){5==\sixheterov{1==0}{2==(yl);2FA==H;4A==OH;6B==CH$_{3}$};%
5A==\lyl(3==0){3==\sixheterovi{1==0}{2==(yl);2GB==H;4B==OH;%
6A==CH$_{3}$};5B==HO}}%
}}};%
5B==H;8B==H;9A==H;%
{10}B==CH$_{3}$;{13}B==CH$_{3}$;%
{14}B==OH;{17}GA==H;%
{{17}}==\fiveheterov[a]{4==0}%
{1==(yl);3D==O}}
    
```

# X<sub>Y</sub>M<sub>T</sub>E<sub>X</sub> (Version 5.00)

## PDF Mode of Printing Quality

X<sub>Y</sub>M<sub>T</sub>E<sub>X</sub> Version 4.04 + PSTricks  $\implies$  X<sub>Y</sub>M<sub>T</sub>E<sub>X</sub> Version 5.00 (PS Mode)

X<sub>Y</sub>M<sub>T</sub>E<sub>X</sub> Version 4.04 + pgf/TikZ  $\implies$  X<sub>Y</sub>M<sub>T</sub>E<sub>X</sub> Version 5.00 (PDF Mode)



```
\documentclass{article}
%\usepackage{xymttx}%LaTeX mode
%\usepackage{xymttxps}%PostScript mode
%\usepackage{xymttxpdf}%PDF mode
\usepackage{graphicx}
\begin{document}
\cholestane[e]{3B==HO}
  %XyMTeX command
\end{document}
```

# PostScript Mode vs. PDF Mode

- PostScript Mode:

tex  $\xrightarrow{\text{\LaTeX}}$  dvi  $\xrightarrow{\text{dvips}}$  ps  $\xrightarrow{\text{Distiller}}$  pdf

- PDF Mode:

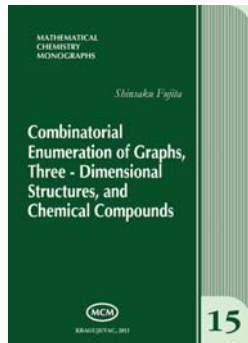
tex  $\xrightarrow{\text{\LaTeX}}$  dvi  $\xrightarrow{\text{dvipdfmx}}$  pdf

- PDF Mode (pdftex option):

tex  $\xrightarrow{\text{pdflatex}}$  pdf

```
\documentclass{article}
\usepackage[pdftex]{xymtexpdf}%PDF mode (pdftex option)
\begin{document}
\cholestane[e]{3B==H0}%XyMTeX command
\end{document}
```

# Interdisciplinary Chemistry/Mathematics Books by $\XintE\X$ / $\LaTeX$



Shinsaku Fujita,  
“Combinatorial Enumeration of Graphs,  
Three-Dimensional Structures, and Chemical  
Compounds”,  
University of Kragujevac (2013) 576pp.

Text:

Typeset by  $\LaTeX 2_{\epsilon}$ .

Structural Formulas:

Drawn by  $\XintE\X$ .

Delivery form:

PDF file (derived from a PostScript file).

On-line submission.

# Interdisciplinary Chemistry/Mathematics Books by $\hat{\text{X}}^{\text{M}}\text{T}_{\text{E}}\text{X}/\text{L}^{\text{A}}\text{T}_{\text{E}}\text{X}$

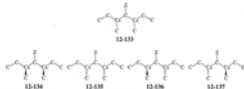


Figure 12.28. Pólya's treatment for a planted tree of carbon content 9 with 2 asymmetric carbon centers (12-133), which produces four stereoisomers 12-134–12-137. Each asymmetric carbon center is designated by an asterisk (\*). A hydrogen atom on each asymmetric carbon center is omitted. The symbol Z is a zinc or CH. Two asymmetric carbon centers in 12-133 indicate the presence of  $2^2 (= 4)$  stereoisomers (12-134–12-137). Note that the principal node of 12-134 (or 12-135) is symmetric (non-asymmetric) in terms of Pólya's treatment, which is incapable of detecting pseudosymmetry.

which is a key concept to recognize the two exceptions (12-121 (= 12-85) and 12-122 (= 12-86)) to be achiral, as illustrated in Fig. 12-17. In other word, Pólya's treatment is incapable of recognizing the achiralities of 12-134 and 12-135 because of the lack of reflection operations.

On the other hand, the data of the ( $n = 9$ )-row in Table 12.3, which have been evaluated by Fujita's treatment [31], show that there are 41 achiral planted 3D-trees ( $a_9 = 41$ ) and there are 255 enantiomeric pairs of chiral planted 3D-trees ( $c_9 = 255$ ). The former value 41 is consistent with the presence of 41 achiral planted 3D-trees listed in Figs. 12-15–12-18 with no exceptions. The value 255 corresponds to 510 stereoisomers, which is consistent with the value  $512 - 2 = 510$  due to Pólya's treatment, because the presence of 12-134 and 12-135 corresponds to 41 (Fujita) = 39 (Pólya) = 2 and the presence of 12-136 and 12-137 corresponds to 512 (Pólya) = 510 (Fujita) = 2. The total number of stereoisomers is calculated to be  $39 + 512$  (Pólya) =  $41 + 510$  (Fujita) = 551, whether we obey Pólya's treatment or Fujita's one (cf.  $J_9 = 551$  in Table 12.3).

The above discussions in addition to the discussions on "Asymmetry vs. Chirality" on page 429 are summarized as follows:

"Stereoisomers" due to Pólya's treatment are conceptually different from "stereoisomers" due to Fujita's treatment in their connotations concerning asymmetry vs. chirality. In particular, the achirality linked to pseudosymmetry is ignored in Pólya's treatment, while it is properly considered in Fujita's treatment. Although they give the same isomer number per carbon content, the latter "stereoisomers" due to Fujita's treatment are adopted in this book because of stereochemical consistency.

## 12.4.2 Number of Asymmetric and Pseudoasymmetric Centers in Fujita's Enumeration

The discussions on the graph 12-133 in Fig. 12-20 have revealed that Pólya's treatment of the corresponding stereoisomers 12-134–12-137 lacks the concept of pseudoasymmetry.

centers. Because Pólya's treatment is based on permutation groups (i.e., the symmetric group  $S^n$  and the alternating group  $A^n$ ), it does not take account of reflection operations, so that it is incapable of recognizing the principal nodes of 12-134 and 12-135 to be pseudoasymmetric centers. This subsection is devoted to a rationalization of pseudoasymmetry centers in terms of Fujita's enumeration of 3D structures.

### Fujita's Enumeration of Planted 3D-Trees with Given Numbers of Asymmetric and Pseudoasymmetric Centers

Fujita has developed the stereoisogram approach [43,45,47], where permutation groups and point groups are integrated into  $R\bar{S}$ -stereoisomeric groups. Stereoisograms have been proposed as diagrammatical expressions of such  $R\bar{S}$ -stereoisomeric groups. Fujita has shown that the stereoisogram approach is effective to the enumeration of achiral and chiral monosubstituted alkanes (planted 3D-trees) having given numbers of asymmetric and pseudoasymmetric centers [33].<sup>4</sup>

Suppose that a monosubstituted alkane (planted 3D-tree) of carbon content  $n$  has  $f$  asymmetric centers and  $m$  pseudoasymmetric centers and that it is characterized by a monomial  $x^f y^m z^n$ , where  $n$ ,  $x$ ,  $y$ , and  $z$  are used to represent respective dummy variables. In a parallel way to the generating functions  $a(x)$  (Eq. 12.53),  $a(x^2)$  (Eq. 12-86), and  $h(x)$  (Eq. 12-40), the corresponding generating functions  $a(f, x, y, z)$ ,  $a(x^2, y^2, z^2)$ , and  $h(f, x, y, z)$  for counting allyl ligands of carbon content  $n$ , which have  $f$  asymmetric centers and  $m$  pseudoasymmetric centers, can be generated:

$$a(f, x, y, z) = \sum_{n=0}^{\infty} \left( \sum_{f=0}^n \sum_{m=0}^{n-f} a_{n,f,m} x^f y^m z^n \right) z^n \quad (12.79)$$

$$a(x^2, y^2, z^2) = \sum_{n=0}^{\infty} \left( \sum_{f=0}^n \sum_{m=0}^{n-f} a_{n,f,m} x^{2f} y^{2m} z^{2n} \right) z^{2n} \quad (12.80)$$

$$h(f, x, y, z) = \sum_{n=0}^{\infty} \left( \sum_{f=0}^n \sum_{m=0}^{n-f} h_{n,f,m} x^f y^m z^n \right) z^n \quad (12.81)$$

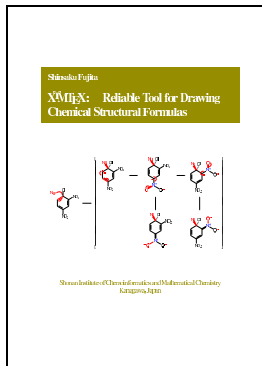
where we place  $a_{000} = 1$ ,  $a_{100} = 1$ , and  $h_{000} = 1$  for trivial cases of hydrogens. The series represented by Eqs. 12-79–12-81 have been already noted in Fujita's articles [33,46]. Although detailed descriptions on the derivation of these generating functions are omitted in this book, the coefficients,  $a_{n,f,m}$ ,  $h_{n,f,m}$ , and  $h_{n,f,m}$ , can be evaluated on the basis of the stereoisogram approach [48].

The coefficient  $a_{n,f,m}$  itself represents the number of achiral monosubstituted alkanes (achiral planted 3D-trees) of carbon content  $n$ , where each of them has  $f$  asymmetric centers and  $m$  pseudoasymmetric centers. The coefficient  $h_{n,f,m}$  itself represents the number of monosubstituted alkanes (as stereoisomers) of carbon content  $n$  with  $f$  asymmetric centers and  $m$  pseudoasymmetric centers. On the other hand, the number  $C_{n,f,m}$  of enantiomeric pairs of chiral monosubstituted alkanes (chiral planted 3D-trees) of carbon content  $n$ , where each of them has  $f$  asymmetric centers and  $m$  pseudoasymmetric centers, is obtained as the

<sup>4</sup>It is important to mention that in the numbers of asymmetric and pseudoasymmetric centers etc., the definitions of  $R\bar{S}$ -stereogenic centers, asymmetric centers, and pseudoasymmetric centers have been discussed in detail [35]. This method has been further applied to the enumeration of achiral and chiral alkanes (3D-trees) with considering numbers of asymmetric and pseudoasymmetric centers [46].

# X<sub>Y</sub>TEX Version 5.01

# On-Line Manual of $\text{\X}\text{\Y}\text{\M}\text{\T}\text{\E}\text{\X}$



Shinsaku Fujita,  
“ $\text{\X}\text{\Y}\text{\M}\text{\T}\text{\E}\text{\X}$ , A Reliable Tool for Drawing Chemical Structural Formulas”,  
Shonan Institute of Chemoinformatics and Mathematical Chemistry (2013) 760pp. + XX  
Available from

<http://xymtex.com/> and CTAN

Text:

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# On-Line Manual of $\text{\Xi\MTEx}$ (p. 543)

31.3. Command for Drawing Removable Seven-Membered Rings 543



Example 31.16. The structure 31-17 of nitrofen (Dupont) is drawn by the code:

```

\begin{XyFcompd} (1100,1350) (-450,-600) (cpd:et:iz:olan) {}
\FiveCycle(0,0) [90] [bd] [4=5];%
\sew{rotatabox}(10) {} \trimesitylamei {} (1=cy4)}};%
2sew{SevenCycle(-125,157) (-6) [a]};%
2sew{rotatabox(-10) [90]};%
1sew{FiveCycle(0,0) (-25) [bd]};%
3sew{rotatabox(-13) [8]}>6sew{rotatabox(-13) [8]};%
5sew{lammingloband[72]};%
2sew{put(-100,100) {} \rotatabox(-13) {\lap(BH_{13})C}};%
}} [a]};%
2sew{rotatabox(-10) [90]};%
1sew{lammingloband[154]};%
1sew{put(-70,-140) {} \benzenesov(1=cy4); 2sew{rotatabox(13) [Cl]}};%
}} [2]}};
\end{XyFcompd}

```

where several rotation angles are determined by trial and error. This code generates the following diagram:



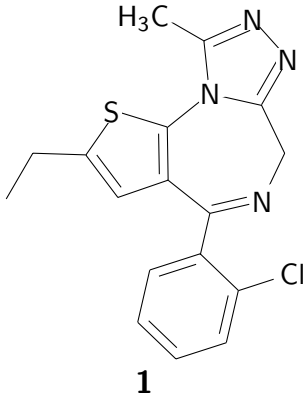
Example 31.19. The structural formula of carbamazepine, which has been shown in Section 30.2.2 (30-7) is alternatively drawn by the new commands defined in this chapter. Thus, the code:

```

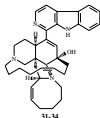
\begin{XyFcompd} (8100,750) (-450,0) (cpd:carbamazepine2) {}
\SevenCycle(0,0) [90] [a]};%
5sew{lammingloband[0]};%
5sew{put(0,100) {} \trimesitylamei [a] {} (1=0; 3=MH_{12}) (2=cy4); 2sew{ml1}}};%
2sew{rotatabox(13) {\sixfusse[ace]} (1) [a]};%
7sew{rotatabox(-13) {\sixfusse[bd]} (1) (B)}};
\end{XyFcompd}

```

generates an equivalent structural formula 31-18 of carbamazepine as follows:

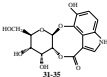


## 556 31. New Commands for Drawing Five-, Seven-, and Eight-Membered Rings



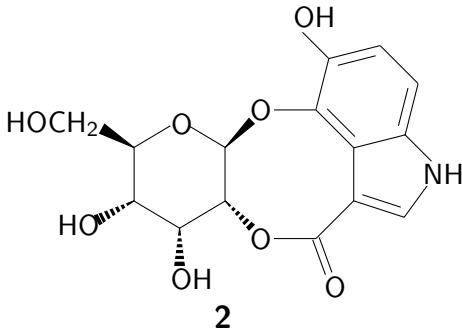
Example 31.36. The structure 31-35 of (-)-ovatalide, a tetracyclic indol alkaloid bearing an eight-membered ether lactone [12], is shown as follows:

```
\begin{Ryftcompd}[1000,1100](-950,-200)(cpd:ovatalide){
\usepackage{hevea}
\EightCycLe(-150,-242)(0){N
1=0;0=0;N
8=0;1=0;N
7=0;1=0;N
2=0;1=0;N
2=0;1=0;N
4=0;1=0;N
4=0;1=0;N
3=0;1=0;N
}}{N
\end{Ryftcompd}
```



### 31.5 Multiple Ring Fusion

Now that we have defined commands for drawing seven- and eight-membered rings, we are ready to draw several complicated compounds of natural source.



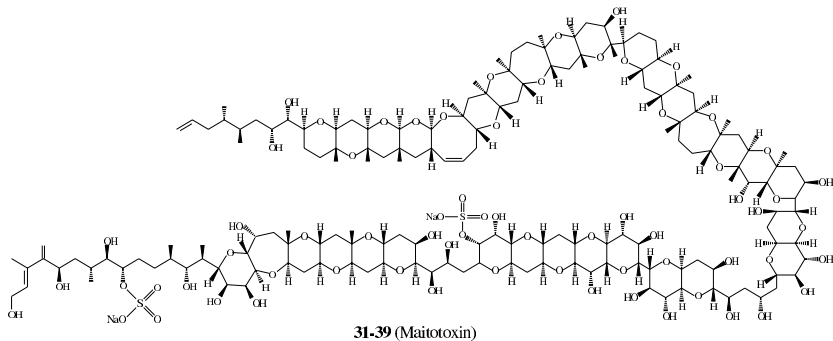
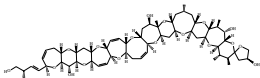


Figure 31.3. Structure of maitotoxin

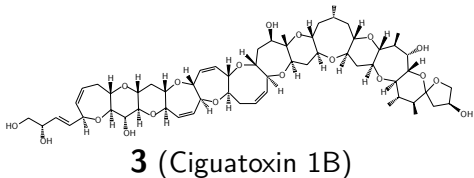
```

4=O:K
2=O:WedgeSubst(0,0)(110,-110);2=O:put(100,-100){\rotatex{-11}{OH}}
]Nend F-ring
]f{r{y}};2G=O:\rotatex{-8}{H};4F=O:\rotatex{-8}{H};4H=O:u1;5A=O:u1
]f}Nend L-ring
]Nend E-ring
]f{r{y}};2F=O:\rotatex{-3}{H};2G=O:\rotatex{-3}{H};N
5G=O:\rotatex{-3}{H};4F=O:\rotatex{-3}{H};N
]f}Nend D-ring
]f{a}}Nend D-ring
]f{F=O:\rotatex{-13}{H};6G=O:u1;5G=O:\rotatex{-13}{H};N
2F=O:\rotatex{-13}{H};a}Nend H-ring
]f}Nend G-ring
XXXXXXXXXXXX
% Left part %
XXXXXXXXXXXX
8=O:SevenCycle(325,157){-12}{a}{NE-ring}
2=O:K
1=O:SevenCycle(325,157){20}{a}{ND-ring}
5=O:\rotatex{12}{O};N
3=O:HashWedgeSubst(6,-12){00,-120}{6};3=O:put(00,-100){\rotatex{12}{H}};N
4=O:WedgeSubst(5,0){-60,120}{5};4=O:put(-60,200){\rotatex{12}{H}};N
7=O:\rotatex{-12}{NE-ring}
\decabsteron(4=O:\rotatex{-2}{O});8=O:\rotatex{-2}{O};N
6=O:SevenCycle(325,157){-112}{a}{ring}
2=O:K
1=O:HashWedgeSubst(6,-12){00,-120}{7};1=O:put(00,-100){\rotatex{-13}{H}};N
1=O:\rotatex{12}{\put{a}{a}{5}}{1}{5}{r{y}};1H=O:2a=O:u1;N
]Nend A-ring
]f{r{y}};2F=O:\rotatex{-2}{H};5G=O:\rotatex{-2}{H};3H=O:\rotatex{-2}{H};N
]f}Nend D-ring
5A=O:\rotatex{-2}{OH};N
]f{g}}Nend D-ring
]f{c}}Nend E-ring
]Nend F-ring
\end{ybringskip}
}
}
\comp[Label]{cpd:ciguatoxin}{Ciguatoxin 1B}
\end{tabular}

```

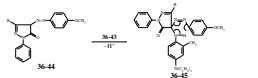
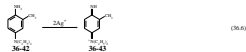


In the above code, each step of nested fusion is shown by a pair of comments such as `NE-ring` and `Nend F-ring`. The eight-membered F-ring is selected as a skeleton, where the right part and the left part are drawn



# On-Line Manual of X<sub>Y</sub>MT<sub>E</sub>X (p. 647)

36.5 Structural Formulas in Display Chem Environments 447



Anisole (36-47) is detected as a byproduct. The resulting azomethine dye (36-46) is a magenta-colored dye for color photography. □

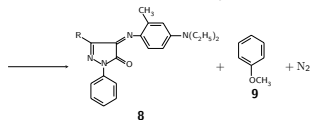
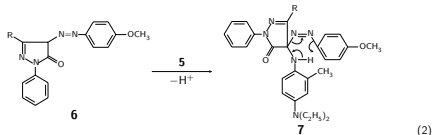
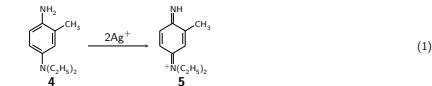
## 36.5 Structural Formulas in Display Chem Environments

### 36.5.1 Reaction Schemes in the ChemEquation-like Environments

If the molecular formula  $\text{CH}_3\text{OH}$  written above the reaction arrow in Eq. 36.1 is desired to be drawn in the display line, it is convenient to use the ChemEquation environment.

*Example 36.17.* As found in this example, the code  $\text{CH}_3(\text{O})\text{H}$  can be directly declared in place of  $\backslash\text{chem}\{\text{CH}_3(\text{O})\text{H}\}$  or  $\backslash\text{math}\{\text{CH}_3(\text{O})\}\backslash\text{math}\{\text{OH}\}$ , which would be required in the equation environment.

```
\begin{ChemEquation}
\psetamathlabel \Strut \label from ammath to LaTeX
\begin{XyTfcompd}[400,750][220,200]{cpd:PH9M2}{1}
\hidrow{1}{0H}
\end{XyTfcompd}
+ \text{CH}_3(\text{O})\text{H}
\vsatirrows[20]{unitlength}[-20]{unitlength}[500]{unitlength}
{BC1}{\ChemForm{-R},(20)}
\begin{XyTfcompd}[400,750][220,200]{cpd:PH9M2}{1}
\hidrow{1}{1}{\ChemForm{OCH_3}}
\end{XyTfcompd}
\label{eq:R32}
\end{ChemEquation}
```



# On-Line Manual of X<sub>Y</sub>MT<sub>E</sub>X (p. 657)

36.7. Reaction Schemes in Framed Boxes 407

```

\electrons{fArrow}(-40,100)(-200,200)(-80,400)(0,120);%
\electrons{fArrow}(60,50)(60,200)(100,200)(150,80);%
(2=0;20=0\hbar{1=0(y1)};10=0\hbar{4=0(y1)};%
1=0\hbar{0=0(2=0);1=0(y1)});
\end{XyFcompd}
\makepfi{m}{\vcenterarrow{Bpt}{1cm}{1}}{\makepfi{m}}
\begin{XyFcompd}[1100,500](-400,0)(1)
\dimstr{m}{1}{\downarrow\hbar{0=0(2=0)};20=0\hbar{1=0(y1)};10=0}
\end{XyFcompd}
\end{Chemicalarray*}
\end{thexscreen}

```



Note that the commands `\hbar`, `\hbarnd`, and `\hbarnd` are supported by the chemist packages to draw single ( $\text{---}$ ), double ( $\text{=}$ ), and triple bonds ( $\text{=}$ ). For the curved arrows, see Section 33.4.

## 36.7.3 Frames with Shadows

### The `\rshfbox` Environment

The `\rshfbox` (right-shadow-frame-box) environment provides a framed box with right and bottom shadows, where the width of the box can be specified by its argument (see width).

```

\begin{rshfbox}[500width]
{text}
\end{rshfbox}

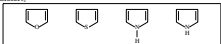
```

*Example 36.1.* The following example shows a list of commands for drawing five-membered heterocycles, which is surrounded by such a framed box.

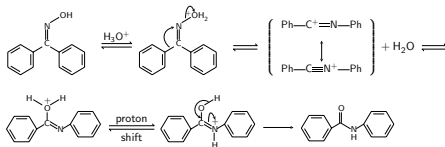
```

\begin{rshfbox}[12cm]
\centering
\begin{XyFcompd}[2700,550](210,50)(1)
\hbar{m}{1}{\hbar{0=0(2=0)};10=0}
\hbar{m}{1}{\hbar{0=0(2=0)};10=0}
\end{XyFcompd}
\end{rshfbox}

```



### Beckmann Rearrangement



# On-Line Manual of X<sub>Y</sub>MT<sub>E</sub>X (p. 661)

36.7. Reaction Schemes in Framed Boxes 661

## The `graphfboxit` Environment

A `graphfboxit` (gradient-right-shadow-frame-box-it) environment provides a framed box with right and bottom gradient shadows, where the width of the box can be specified by its argument (`boxwidth`).

```
\begin{graphfboxit}{(boxwidth)}
{text}
\end{graphfboxit}
```

*Example 36.57.* The following example shows a list of commands for drawing six-membered heterocycles, which is surrounded by such a framed box.

```
\begin{graphfboxit}{12cm}
\centering
\begin{tikzcompd}(2700,450)(230,250){}{}
\pyridineov[] \pyridazineov[] \pyrimidineov[] \pyrazineov[]
\end{tikzcompd}
\end{graphfboxit}
```

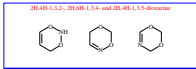


The `graphfboxit` environment may contain a sentence along with structural formulas.

*Example 36.58.* For example, you write such a statement such as

```
\begin{center}
\blue
\begin{graphfboxit}{6.7}{textwidth}
\centering\black
\text{[red 2H,4H-1,3,2-, 2H,6H-1,3,4- and 2H,4H-1,3,5-dioxazine] \}
\slsheterov[a]{1}{=0;2=0H;3=0}{}{}
\slsheterov[d]{1}{=0;3=0;4=0}{}{}
\slsheterov[e]{1}{=0;3=0;5=0}{}{}
\end{graphfboxit}
\end{center}
```

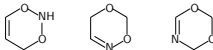
Then, you obtain the following result:



where the frame is colored in blue, the name is colored in red, and the structural formulas are printed out in black. □

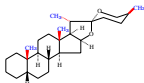
The `graphfboxit` environment is based on the `graphframedboxit` environment of the `chemfig` package. Hence, we can use the latter since environment to change parameters.

2H,4H-1,3,2-, 2H,6H-1,3,4- and 2H,4H-1,3,5-dioxazine



# On-Line Manual of $\XIM\TeX$ (p. 700)

700 38. Coloring Substituents and Substitution Bonds



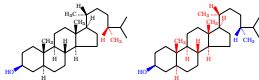
It should be emphasized that wedged bonds, dashed bold bonds, and wavy bonds for stereochemistry are colored by the same technique of bond coloring due to the `\addsubcolor` command.  $\square$

Commands of high level have a fixed set of substituents, which are not changed by the systematic method described here. For the purpose of coloring the fixed set, you should use the corresponding commands of low level.

*Example 38.25.* For example, the high-level command `\cholestanalpha` is compared with the low-level command `\steroidchain` as follows:

```
\begin{tabular}{ll}
high-level macro: & \low-level macro: \\
\cholestanalpha[10]{\addsubcolor{blue}{OH}}; & \cholestanalpha[10]{\addsubcolor{blue}{OH}}; \\
[24]{5a}{\addsubcolor{red}{CH_3}}; [24]{5b}{\addsubcolor{red}{OH}} & [24]{5a}{\addsubcolor{red}{CH_3}}; [24]{5b}{\addsubcolor{red}{OH}} \\
& \steroidchain[10]{\addsubcolor{blue}{OH}}; \\
[24]{5a}{\addsubcolor{blue}{CH_3}}; [24]{5b}{\addsubcolor{blue}{OH}}; & [24]{5a}{\addsubcolor{red}{CH_3}}; [24]{5b}{\addsubcolor{red}{OH}}; \\
& [18]{\addsubcolor{red}{OH}}; \\
& [13]{\addsubcolor{red}{CH_3}}; \\
& [14]{\addsubcolor{red}{OH}}; \\
& [17]{5a}{\addsubcolor{red}{CH_3}}; [17]{5b}{\addsubcolor{red}{OH}}; \\
[20]{5a}{\addsubcolor{red}{CH_3}}; [20]{5b}{\addsubcolor{red}{OH}} & \\
\end{tabular}
```

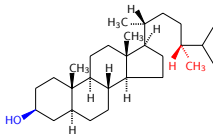
high-level macro: low-level macro



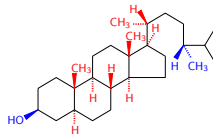
Note that the black bonds in the left structure (or the red bonds in the right structure) indicate the fixed set of substituents for the `\cholestanalpha` command of high level.  $\square$

*Example 38.26.* The fixed structure **38-1** of morphine (or heroin) is drawn by the scheme 6 – 6 according to the addition technique. A furan ring and a piperidine ring are added by respective sets of low-level commands such as `\PutBondLine` and `\WedgeSubst1`. Hetero atoms (O and N) in morphine **38-1a**

high-level macro:



low-level macro:

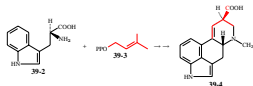




## 712 39 Coloring Single Bonds and Double Bonds

Example 39.6. Lysergic acid **39-4** is a precursor for wide range of ergoline alkaloids. Its dimethylamide (lysergic acid dimethylamide; LSD) is a semisynthetic psychedelic drug of the ergoline family. The red colored mixture of **39-4** stems from DMAPP (dimethylallyl pyrophosphate, **39-3**), which is attached to tryptophan (**39-2**) during the biosynthesis of lysergic acid (**39-4**).

```
\begin{center}
\begin{XyTcompd}[1859,880](200,0){cpd:tryptophan}{}
\decabatterow{fblack}
{\d{fiveduover}[b]{[4=00]}{[A]}{e}}]X
}}{[2F#-H;2=COOH;2G=NH_2]{[2]}{[4]}
\end{XyTcompd}
\quad = \quad
\begin{XyTcompd}[700,300](-50,150){cpd:DMAPP}{}
\def\thin.Lin@l{dth}[1.6pt]
\red{\setramethylamc}[3]{[0=0]{black}{PPO};3=am1}}
\end{XyTcompd}
\quad \xrightarrow{\hspace{1cm}} \quad
\begin{XyTcompd}[1100,1200](250,0){cpd:lysergicacid}{}
\decabatterow{fblack}
{\a{sixfive}eX
{\a{\replaceSBond}[1.6pt]{0,0}{5,-3}{171}{\red}}}X
{\a{\replaceSBond}[1.6pt]{0,0}{-5,-3}{171}{\red}}}X
{\a{\replaceSBond}[1.6pt]{0,0}{0,1}{200}{\red}}}X
}}{[0=0]{=C=C;[13];[10=0]{thin:adddoublecolor}{\red}{C}{black}{000}}}{0}}
{\d{fiveduover}[b]{[4=00]}{[A]}{e}}]X
}}{[2F#-H]
\end{XyTcompd}
\end{center}
```



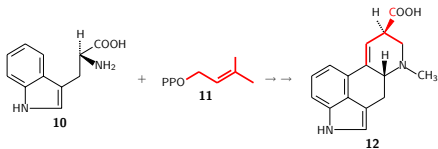
The bold bonds of **39-3** are generated by declaring `\def\thin.Lin@l{dth}[1.6pt]`. The whole structure generated by `\setramethylamc` is surrounded by `\red` so as to be colored in red, except that the character string "PPO" remains to be black by declaring `thin:adddoublecolor{\red}{C}{black}{000}}`. The red double bonds of **39-4** are generated by the command `\replaceSBond`. □

## 39.2 Coloring Double Bonds

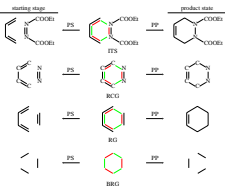
### 39.2.1 A Systematic Way

The `kpcolor` package of the X<sup>Y</sup>MT<sub>E</sub>X version 5.00 and later supports the function of coloring double bonds. The command `\adddoublecolor` is defined to specify the color of a double bond, when it has a format represented by

```
\adddoublecolor{(commandu)}{[(d)wcolor]}
```



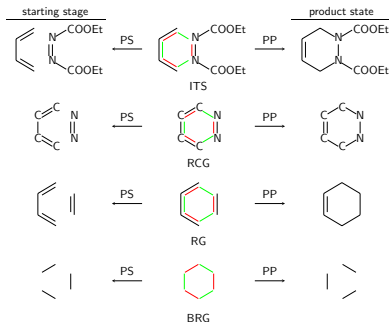
*Example 39.1.1* For example, Fig. 39.1 shows a reaction (a Diels-Alder reaction) and its ITS as well as related diagrams for representing the reaction in various levels of information, i.e., an imaginary transition structure (ITS), a reaction-center graph (RCG), a reaction graph (RG), and a basic reaction graph (BRG). This figure is a modification of [1, Fig. 14-2]. The process denoted by PS is a projection to a starting stage, by which the ITS produces the corresponding starting stage. The process denoted by PP is a projection to a product state, by which the ITS produces the corresponding product state.



**Figure 39.1.** An imaginary transition structure (ITS), a reaction-center graph (RCG), a reaction graph (RG), and a basic reaction graph (BRG) for the ITS approach. This figure is a modification of [1, Fig. 14-2].

The scheme contained in Fig. 39.1 is depicted by the following code:

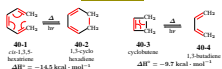
```
\begin{center}
\def\chem{chem\dielsA.dpt}
\begin{tabular}{ccc}
\begin{tabular}{ccc}
starting stage & \xrightarrow{PS} & ITS \\
\chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1} \\
\chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1}
\end{tabular} & & \begin{tabular}{ccc}
product state & & \\
\chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1} \\
\chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1}
\end{tabular} \\
\end{tabular} \\
\chem{C1=CC=CC=C1} & \xrightarrow{PS} & \chem{C1=CC=CC=C1} & \xrightarrow{PP} & \chem{C1=CC=CC=C1} \\
\chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1} \\
\chem{C1=CC=CC=C1} & \xrightarrow{PS} & \chem{C1=CC=CC=C1} & \xrightarrow{PP} & \chem{C1=CC=CC=C1} \\
\chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1} \\
\chem{C1=CC=CC=C1} & \xrightarrow{PS} & \chem{C1=CC=CC=C1} & \xrightarrow{PP} & \chem{C1=CC=CC=C1} \\
\chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1} & & \chem{C1=CC=CC=C1}
\end{pre}
```



726 40. Citeing Chemical Schemes

```
\molign[vskip]0pt
\comp[Label]{cpd:fourdine} \
1,3-butadiene \
\end{tabular}
\
\DeltaHts H' {\cirv} = \mthn{-9.7'kcal'edot mol' (-)1}5
\end{center}
\end{minipage}
\end{center}
```

### Electrocyclic Reactions



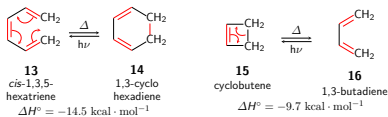
### 40.1.3 Vitamin B<sub>2</sub> and Related Compounds

Riboflavin (Vitamin B<sub>2</sub>) has a benzene-fused 1,5,8-oxotetrahydropyridine nucleus, which is attached by one ribose unit (colored in red). Flavin mononucleotide (FMN) and flavin adenine dinucleotide (FAD) are derived from riboflavin by introducing phosphate or pyrophosphate linkage.

Example 40.1. The total scheme of derivations is drawn by using the  $\text{\HfX}$  quote environment:

```
\begin{quote}
\changemintlength{0.40pt}
\def\color{red}{\color{red}}
\let\subatfont=\afamily
\begin{tabular}{c}
\begin{HfXcompd}{1599,1459}(SR,-550){1}
\decabaterov{\%N
\B{\xiazrow{[ac]}{1}{2=CHL_{3}};3=CHL_{(3)4}(K)3}N
11=1;4=6=8;3=7=9=10}(40=0;40=0;8
4=)adddescolor{\red}{\xiazaterov{1}{1=}{y1};6A=10;5A=11;6A=11;3=10}(ab)}
\end{HfXcompd} \
\comp[Label]{cpd:riboflavin} \
riboflavin (Vitamin B2) {215} \
\end{tabular}
\end{quote}
\end{tabular}
\end{center}
\begin{tabular}{c}
\begin{HfXcompd}{1599,1459}(SR,-550){1}
\decabaterov{\%N
\B{\xiazrow{[ac]}{1}{2=CHL_{3}};3=CHL_{(3)4}(K)3}N
11=1;4=6=8;3=7=9=10}(40=0;40=0;8
4=)adddescolor{\red}{\xiazaterov{1}{1=}{y1};6A=10;5A=11;6A=11;3=10}(ab)}
\B{\xiazrow{[ac]}{1}{2=CHL_{3}};3=CHL_{(3)4}(K)3}N
11=1;4=6=8;3=7=9=10}(40=0;40=0;8
4=)adddescolor{\red}{\xiazaterov{1}{1=}{y1};6A=10;5A=11;6A=11;3=10}(ab)}
\B{\xiazrow{[ac]}{1}{2=CHL_{3}};3=CHL_{(3)4}(K)3}N
11=1;4=6=8;3=7=9=10}(40=0;40=0;8
4=)adddescolor{\red}{\xiazaterov{1}{1=}{y1};6A=10;5A=11;6A=11;3=10}(ab)}
\end{HfXcompd} \
\comp[Label]{cpd:flavinFMN} \
flavin mononucleotide (FMN) \
\end{tabular}
\end{center}
```

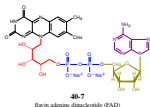
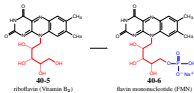
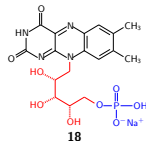
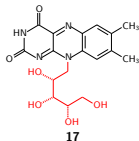
### Electrocyclic Reactions



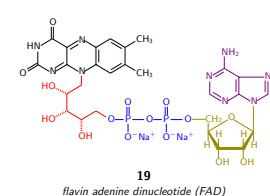
# On-Line Manual of $\text{X}^{\text{M}}\text{T}_{\text{E}}\text{X}$ (p. 727)

40.1. Coloring in center and Riboflavin biosynthesis 727

```
\show[?]{\bf111}
\use[12pt]{0.4pt}{1cm}\reactarrow[10pt]{1cm}{1}
\hskip1cm
\begin{tabular}{c}
\begin{tikzpicture}
\begin{scope}[xshift=2cm,yshift=1.5cm]
\draw[fill=white] (0,0) rectangle (1,1);
\end{scope}
\end{tikzpicture}
\end{tabular}
\end{document}
```



The structure **40-5** of riboflavin (Vitamin B<sub>2</sub>) is shown as such a benzene-fused 1,3,5,8-tetraoxaphthalone nucleus, when \xtrifusion is declared in the (atom) of \drawcaterarrow according to the addition tech-



# On-Line Manual of $\text{\Xi}^{\text{M}}\text{T}_{\text{E}}\text{X}$ (p. 740)

740 40. Creating Chemical Schemes

```

}]{SA--{mull}}{D}{bc}}
}]{SGA--{M}{D}}
}]{ZFB--{mull};SGA--{M}{D}}
}]{C}{c}{d}{e}}]{C}{d}{e}}]{C}{d}{e}}]{C}{d}{e}}]{C}{d}{e}}]{C}{d}{e}}
}

```

By using these macros, Fig. 40.1 is drawn by the following code:

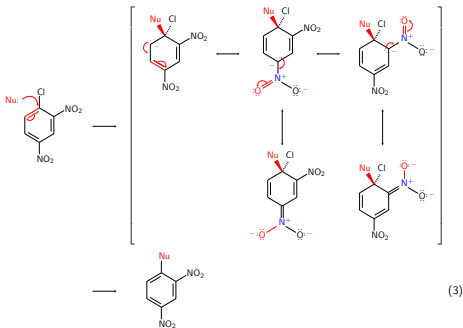
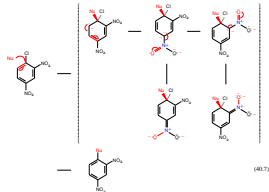
```

\begin{figure}[h]
\begin{center}
\begin{subarray}{ccc}
\localbox{#-7}{ergosterol} & & \\
\reactarrow[8pt]{l}{m}{\Delta}{m}{\text{strut}} & \& \localbox{#-7}{previtaminD} \\
\ergosterol & \& \previtaminD_{21} \\
& \& \reactarrow[8pt]{l}{m}{\text{raisebox}[8pt]{\rlap{/}{\Delta}}}{\text{strut}} & \\
& \& \localbox{#-7}{lumisterol} & \& \localbox{#-7}{vitaminD4} \\
& \& \lumisterol & \& \vitaminD_{24}
\end{subarray}
\end{center}
\end{figure}

```

## 40.1.2 Nucleophilic Reactions

Example 40.1.3 A nucleophilic substitution of 1-chloro-2,4-dinitrobenzene is represented by Fig. 40.7, where curved arrows for representing electron shifts are colored in red.

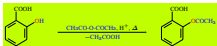


# On-Line Manual of X<sub>Y</sub>MT<sub>E</sub>X (p. 743)

40.4. Reaction Schemes in Color Boxes 743

```
\reactarrow[-18pt]{5cm}{\blues{CH3CO-O-COCH3}_{3}S, H+[-1S, 5]\Delta}{S}K
{5-5\blues{CH3}_{3}COOH}
\qquad
\begin{lyftcompd}(718,658)(288,258){1}
\benzenev[1=COOH;2=]{rads(0)\blues{COCH3}_{3}S}
\end{lyftcompd}
\end{center}
```

generates a colored box involving a reaction scheme:



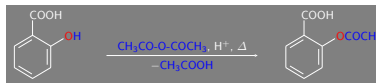
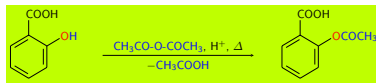
Example 40.3.5. The default color of the `(text)` of `\colorbox` is black, unless other colors are specified, as found in the preceding output. The color of `(text)` can be changed freely. If the background color is selected to be dark, even `\white` can be declared to print `(text)`. The following output is a typical example:

```
\begin{center}
\colorbox[gray]{\whiteS}
\def\hsid{.5cm}\width{8.5pt}
\let\substfont:\sffamily
\sfamily
\begin{lyftcompd}(588,658)(288,258){1}
\benzenev[1=COOH;2=]{rads(0)\blues{H}1}
\end{lyftcompd}
\qquad
\reactarrow[-18pt]{5cm}{\blues{CH3CO-O-COCH3}_{3}S, H+[-1S, 5]\Delta}{S}K
{5-5\blues{CH3}_{3}COOH}
\qquad
\begin{lyftcompd}(718,658)(288,258){1}
\benzenev[1=COOH;2=]{rads(0)\blues{COCH3}_{3}S}
\end{lyftcompd}
\end{center}
```



Example 40.3.6. A reaction scheme in the `ChemEquation` environment is surrounded by the `minipage` environment, the width of which is selected to be equal to the text width of your document. The `\colorbox` puts a space around the text of `(text)`, where the space is adapted to be equal to `\fboxsep` (default value 3pt) of the `l3RN`-command `\fbox`. Hence, you should declare `\fboxsep=0pt` to avoid the overfill warning.

```
\noindent
{\fboxsep=0pt
\colorbox[pink]{K}
\begin{minipage}{\textwidth}
\begin{ChemEquation}
\begin{lyftcompd}(588,658)(288,258){1}
\benzenev[1=COOH;2=]{rads(0)\blues{H}1}
\end{lyftcompd}
\end{ChemEquation}
\end{minipage}}
```



# Summary

- 1 The X<sup>Y</sup>TEX version 5.01 has recently been released.
- 2 A comprehensive on-line manual is now available.
- 3 The X<sup>Y</sup>TEX system combined with the T<sub>E</sub>X/L<sub>A</sub>T<sub>E</sub>X system has supported publication of interdisciplinary books linking chemistry and mathematics.